



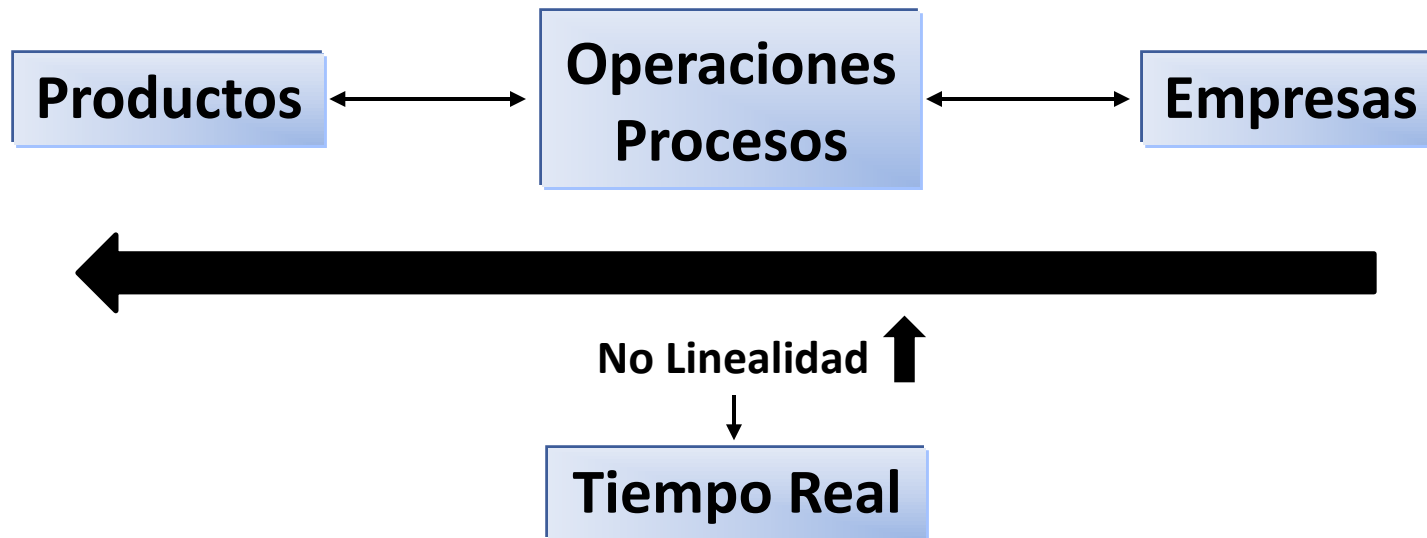
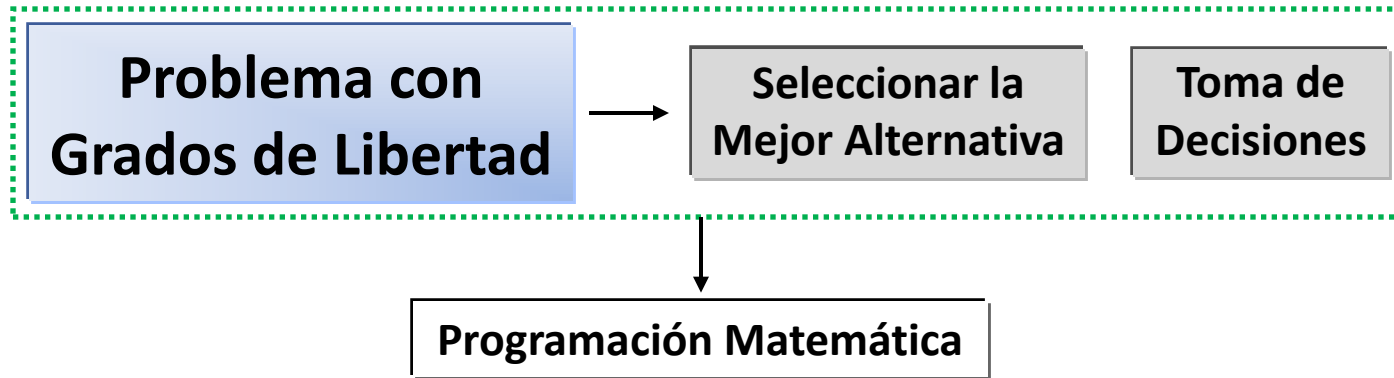
# **Programación NLP/MINLP. Optimización Dinámica, Global. Métodos no Determinísticos**

Adrián Ferrari

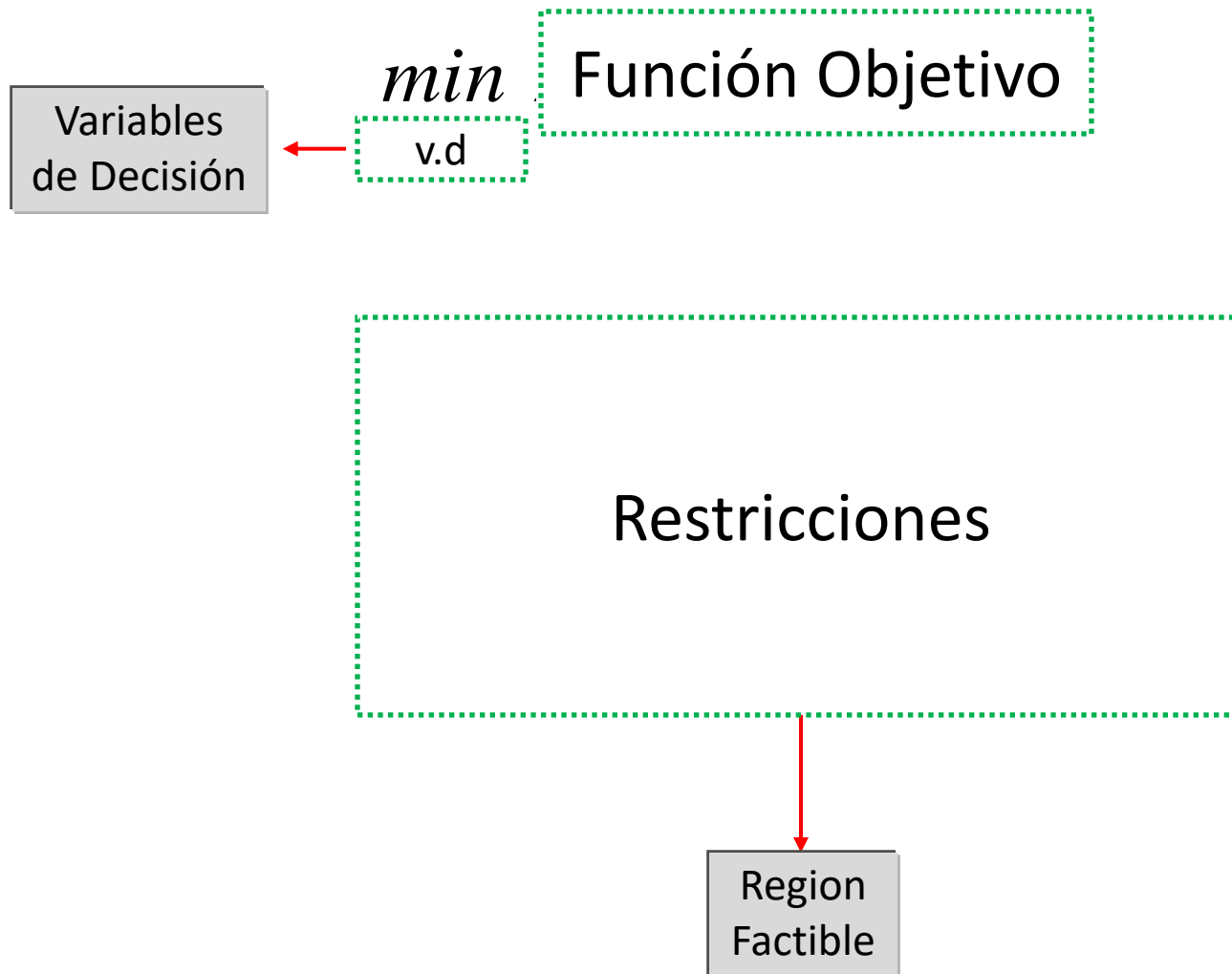
## **INTRODUCCIÓN A LA INGENIERÍA DE PRODUCCIÓN**

**10 de Setiembre 2024**

# Optimización



# Formulación/Estructura



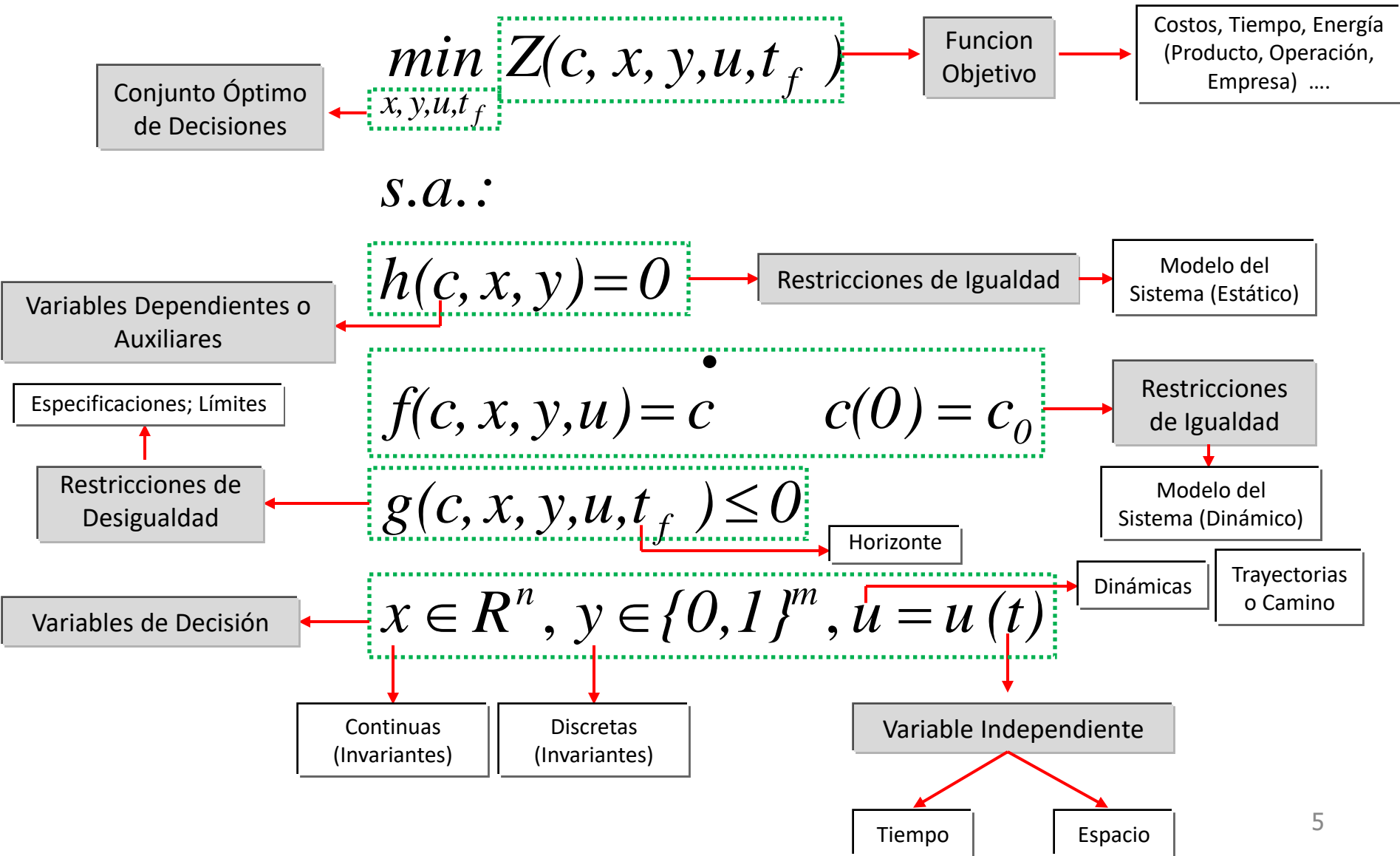
# Clasificación

Función Objetivo	Restricciones	Variables de Decisión	Programación / Optimización	Identificación
Lineal	Lineales	Continuas	Lineal	LP
		Discretas	Lineal Entera	ILP
		Mixto	Lineal Entera Mixta	MILP
Cuadrática	Lineales	Continuas	Cuadrática	QP
		Discretas	Cuadrática Entera	IQP
		Mixto	Cuadrática Entera Mixta	MIQP
Otro Caso		Continuas	No Lineal	NLP
		Discretas	No Lineal Entera	INLP
		Mixto	No Lineal Entera Mixta	MINLP
Cualquiera		Dinámicas	Dinámica/Control Óptimo	MINLP Dinámico

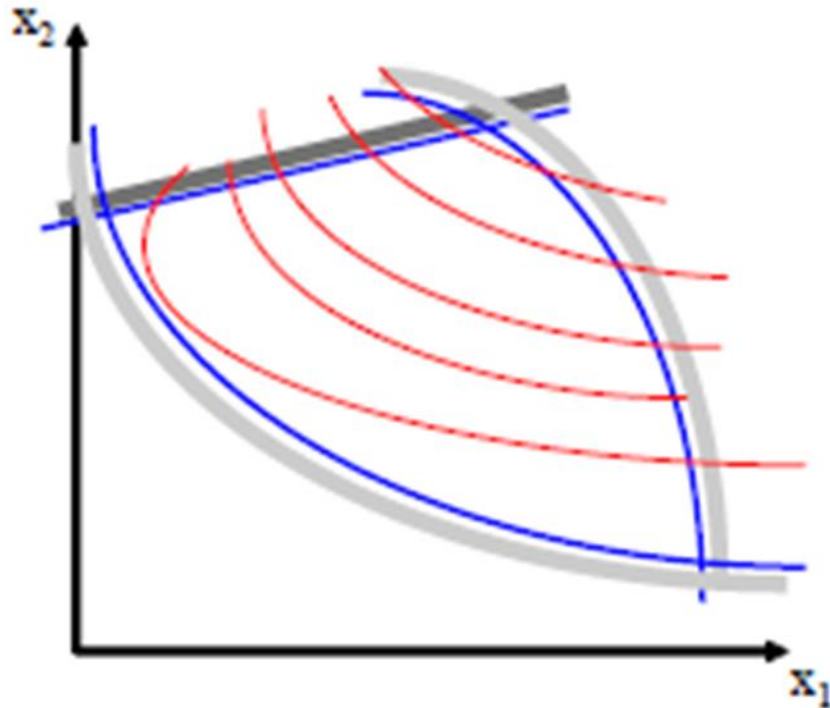


Mas Frecuentes

# Formulación/Estructura

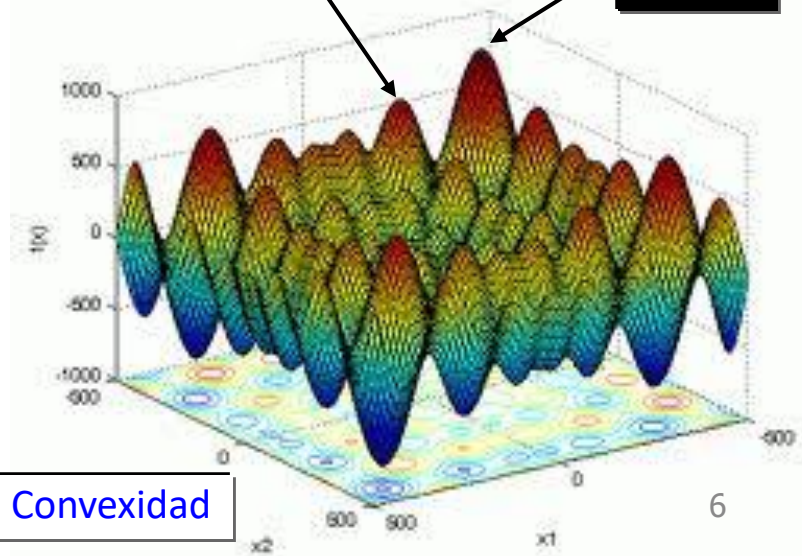
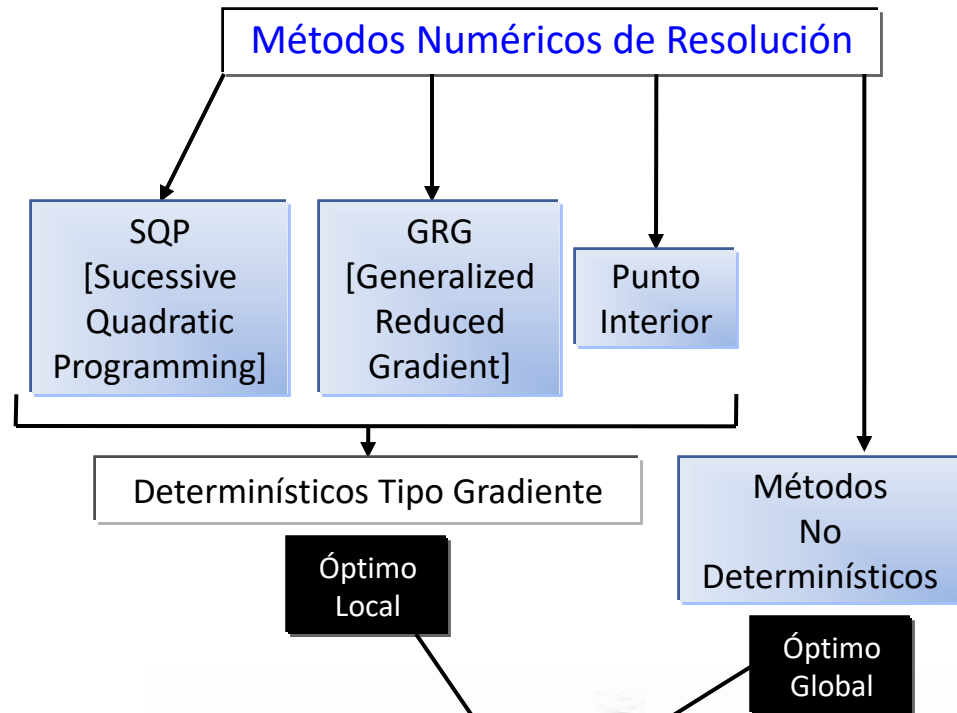


# Programación No Lineal (NLP)



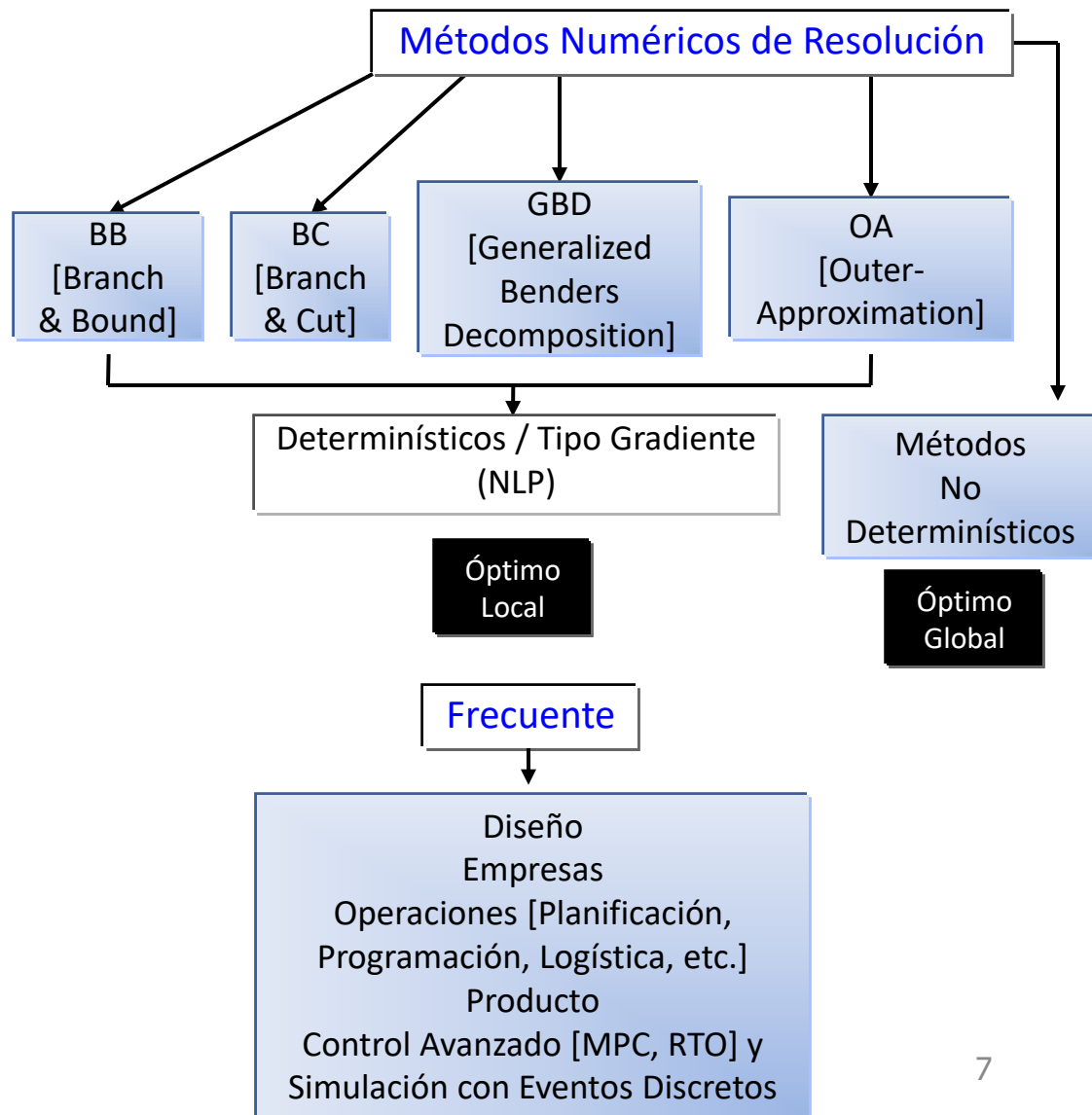
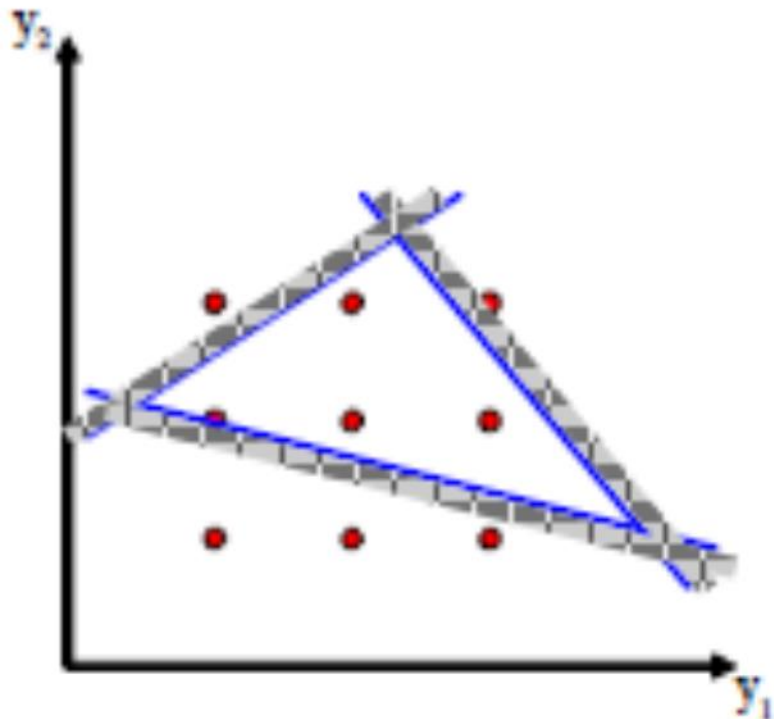
Frecuente

MPC (Model Predictive Control)  
RTO (Real Time Optimization)  
Optimización Dinámica / Control Óptimo  
Simulación

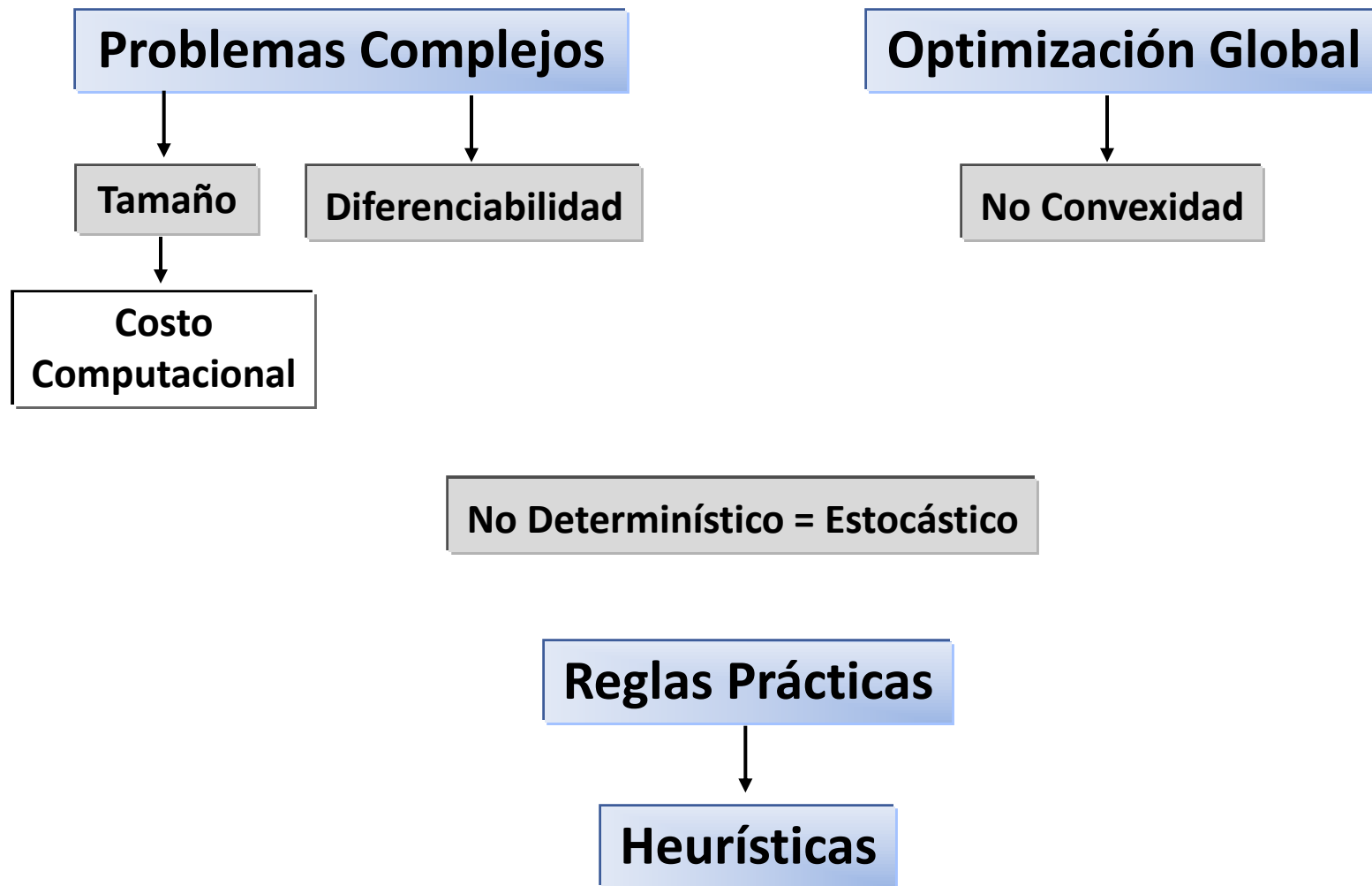


No Convexidad

# Programación Entera Mixta (MILP / MINLP)

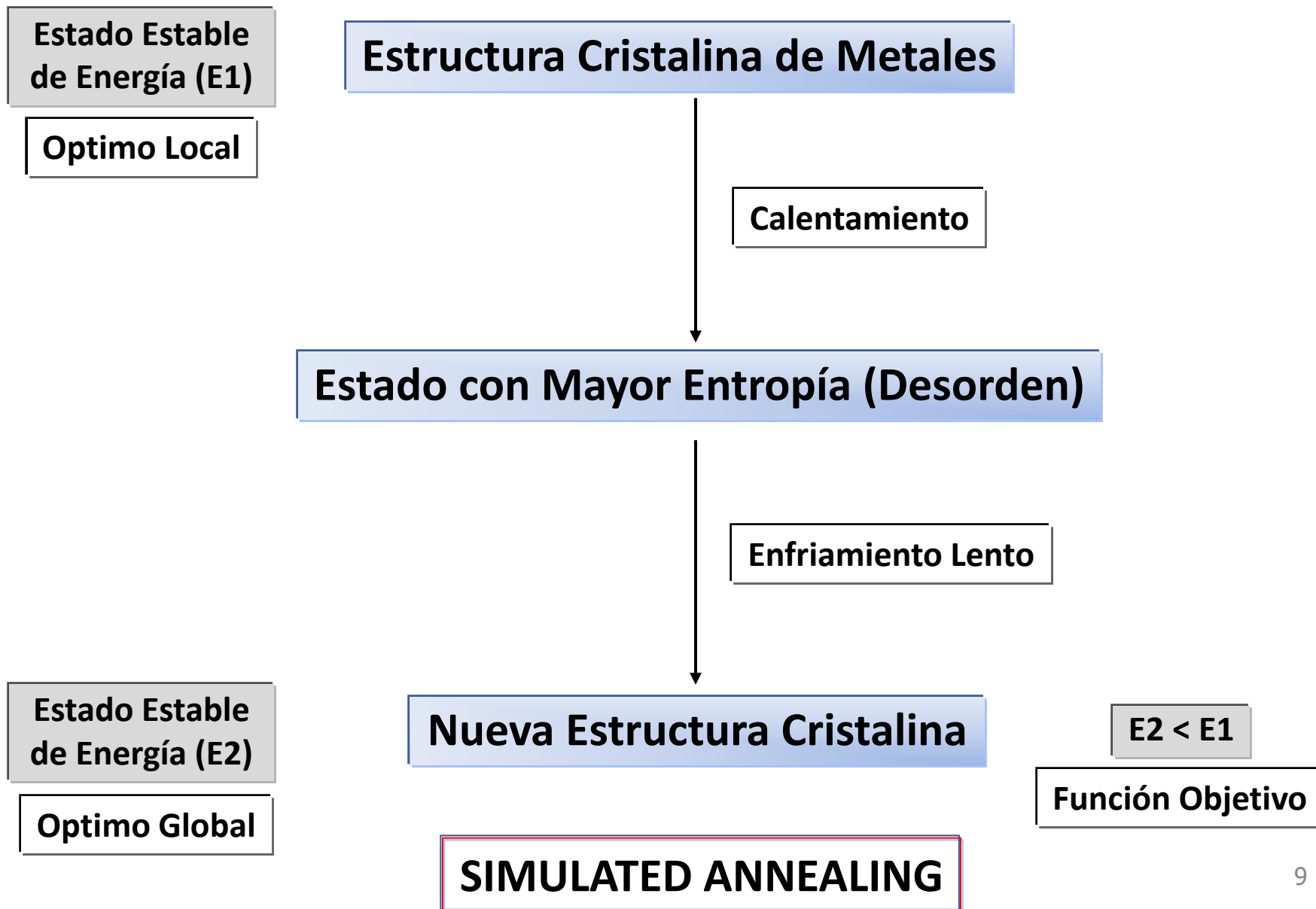


# Métodos No Determinísticos

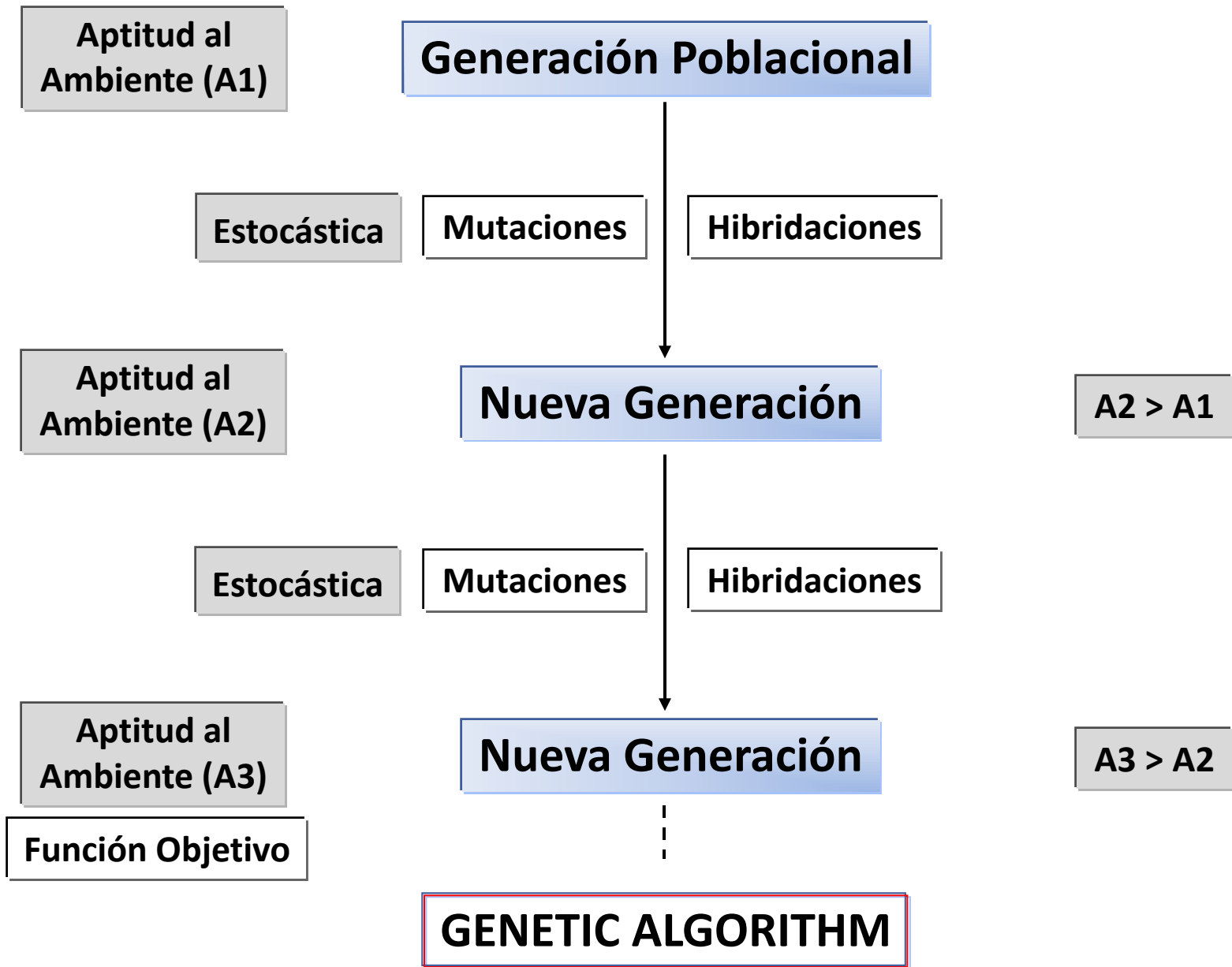




# Ejemplos



# Ejemplos



# Ejemplos

Simulated Annealing Optimization [SAO]

Parallel Tempering Optimization [PTO]

Termodinámicos

Tabú Search Optimization [TSO]

Genetic Algorithm Optimization [GAO]



Evolutivos

Scatter Search Optimization [SSO]



Ant Colony Optimization [ACO]

Sociales

Particle Swarm Optimization [PSO]

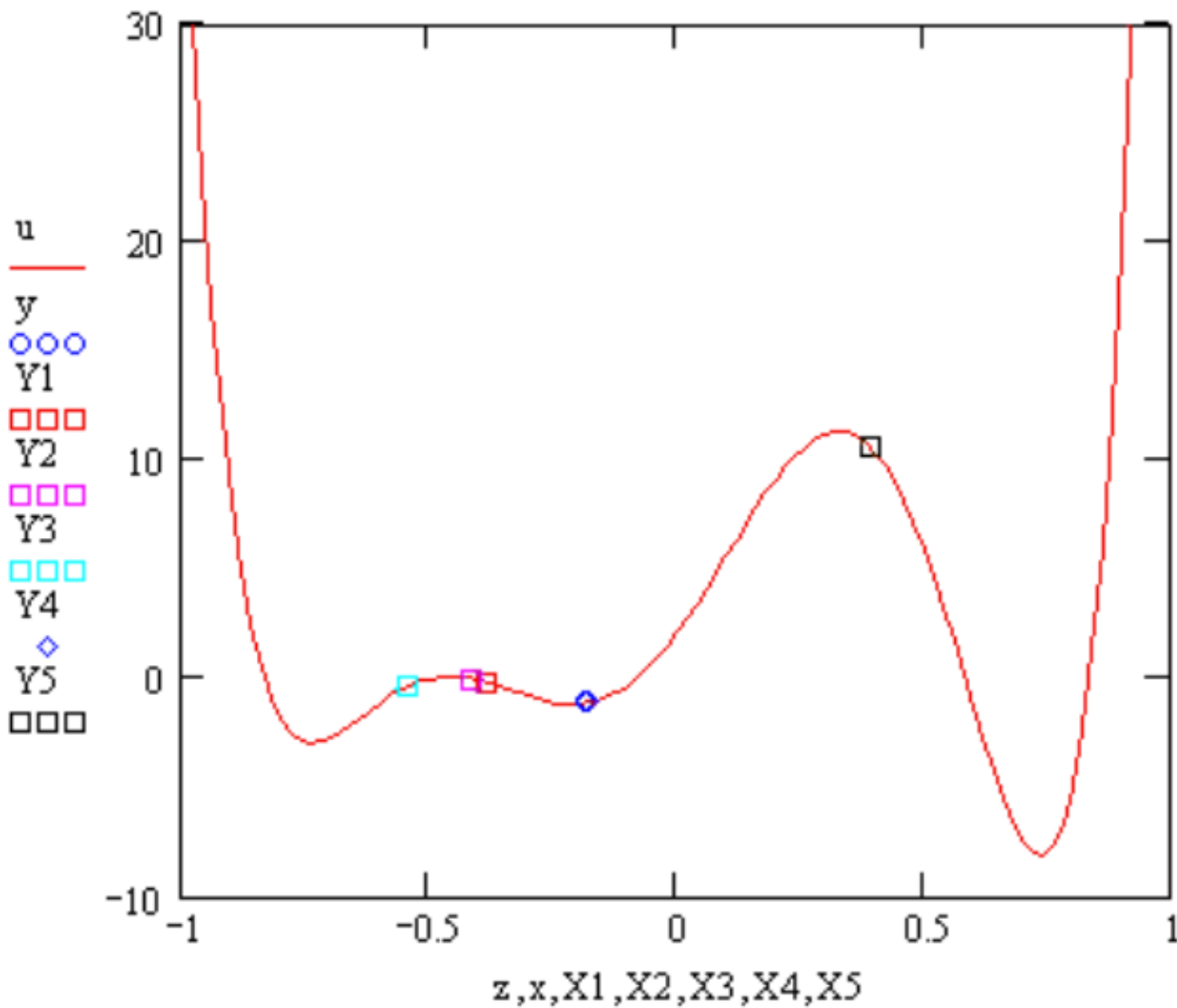


Harmony Search Optimization [HSO]

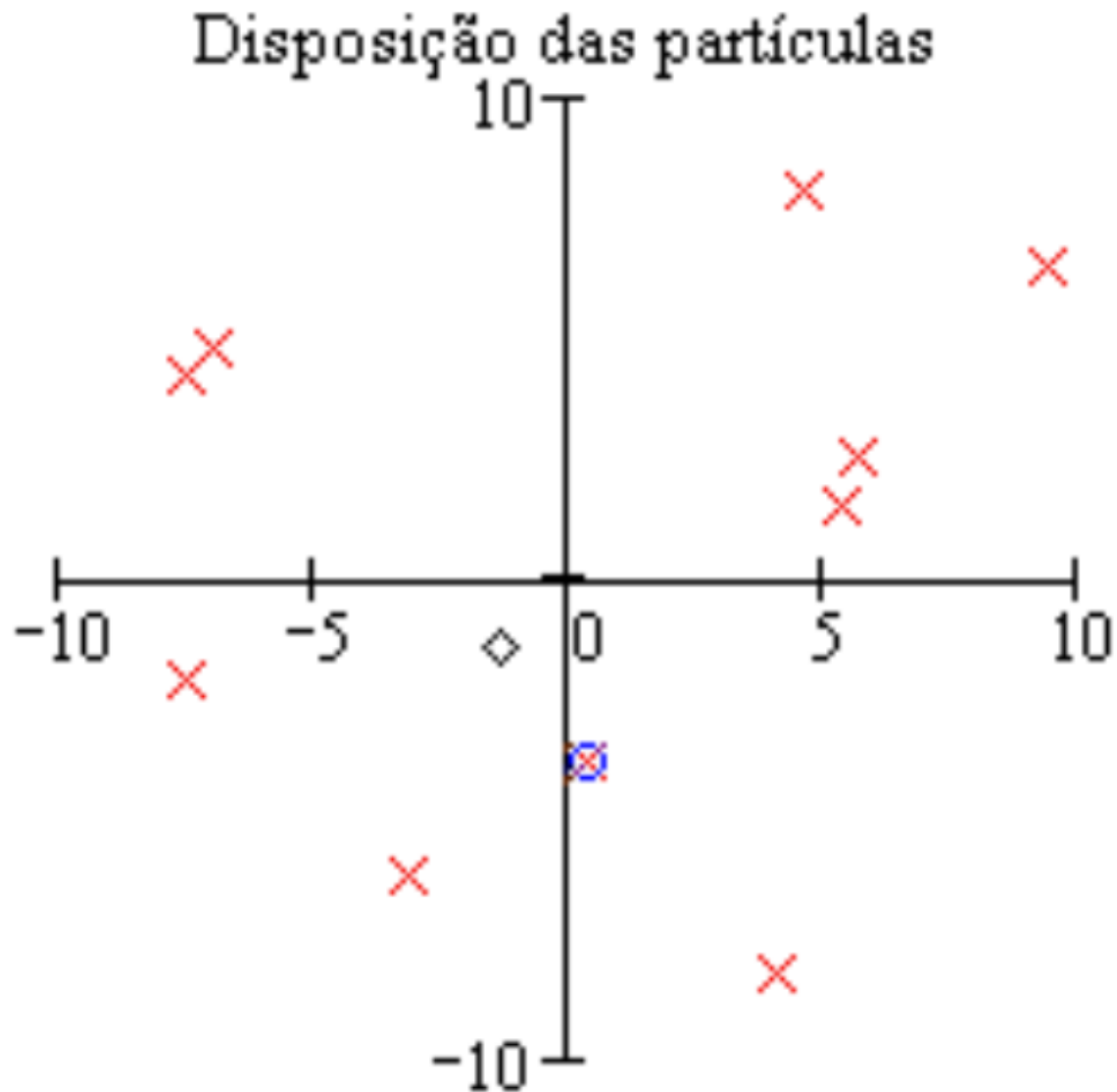
Musical

Molecular Inspired Parallel Tempering Optimization [MIPTO]

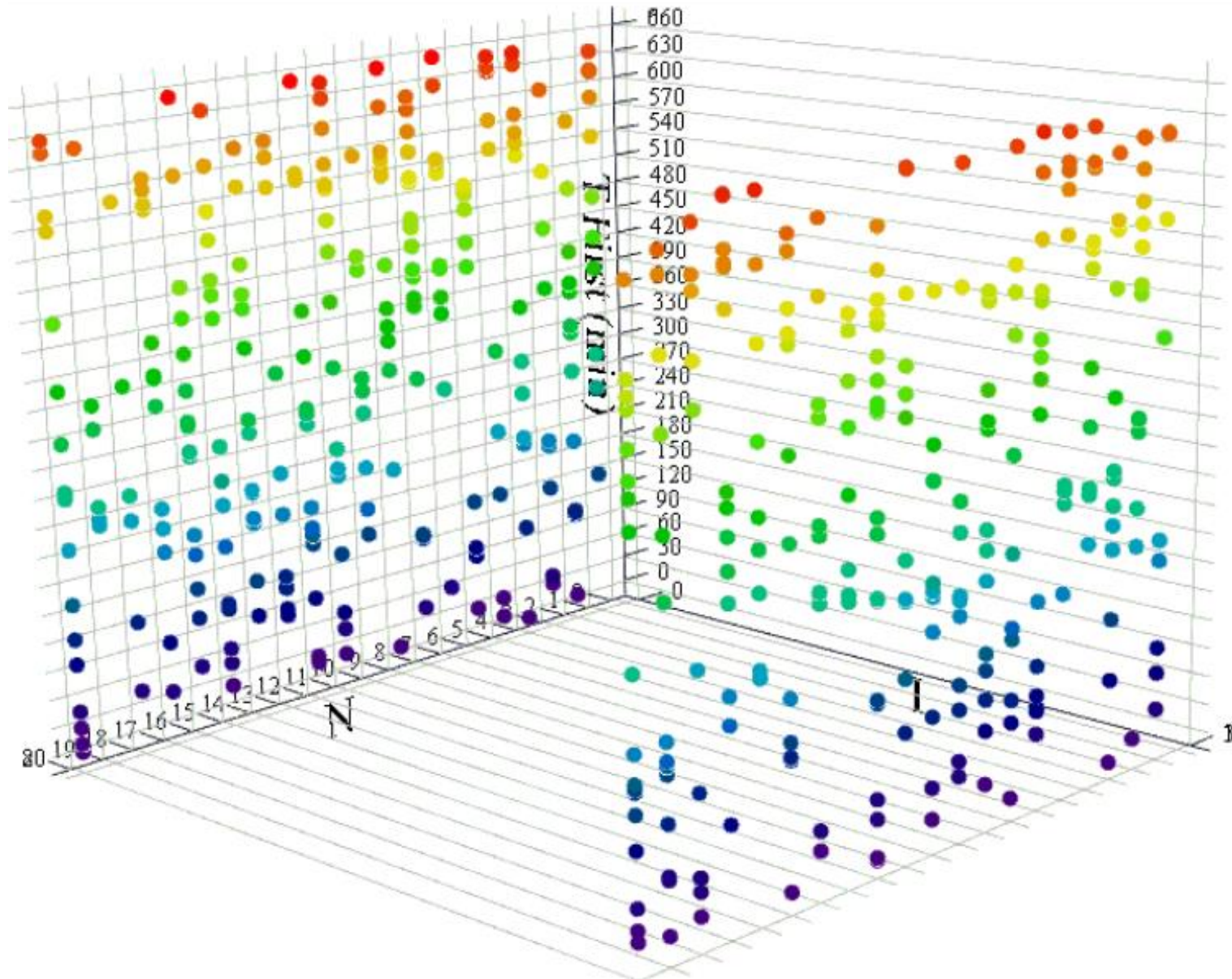
# Ejemplos



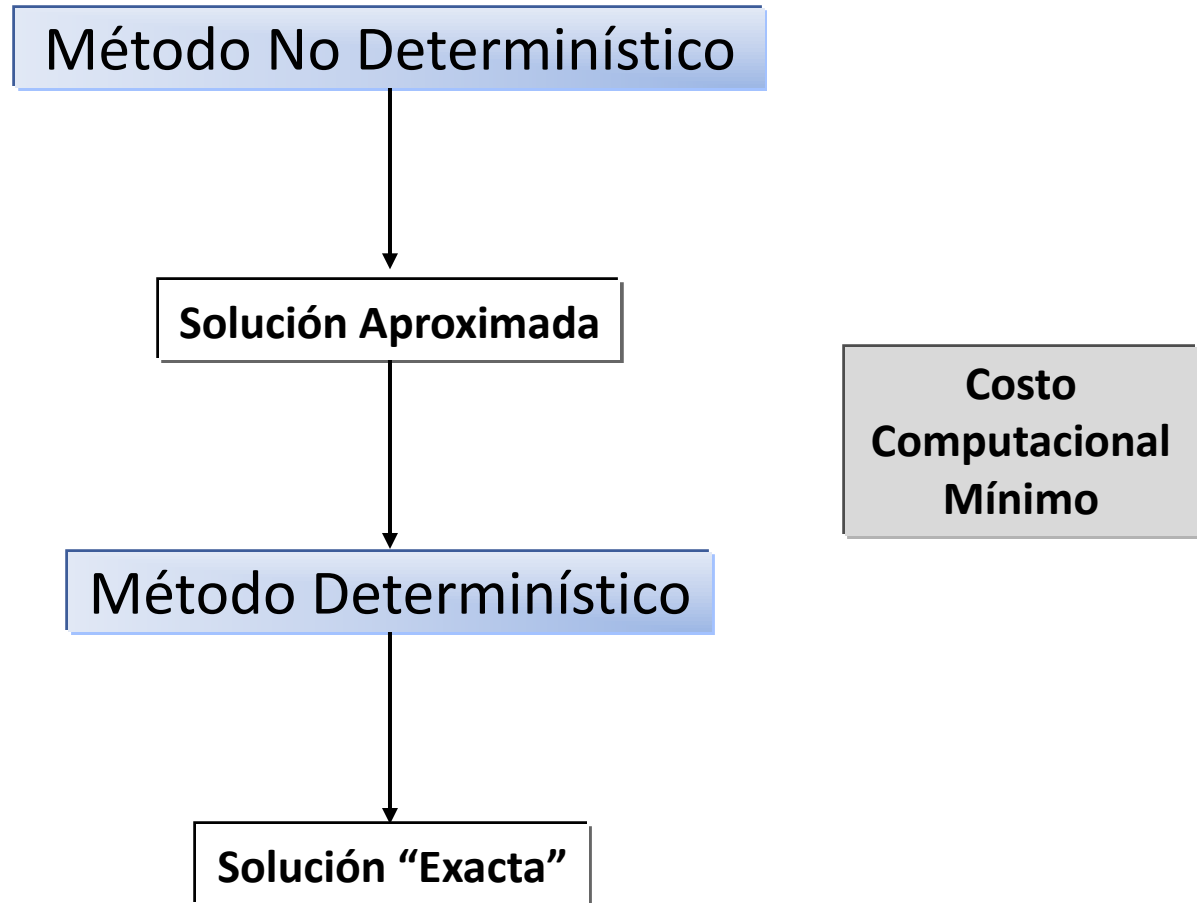
# Ejemplos



# Ejemplos



# Estrategia

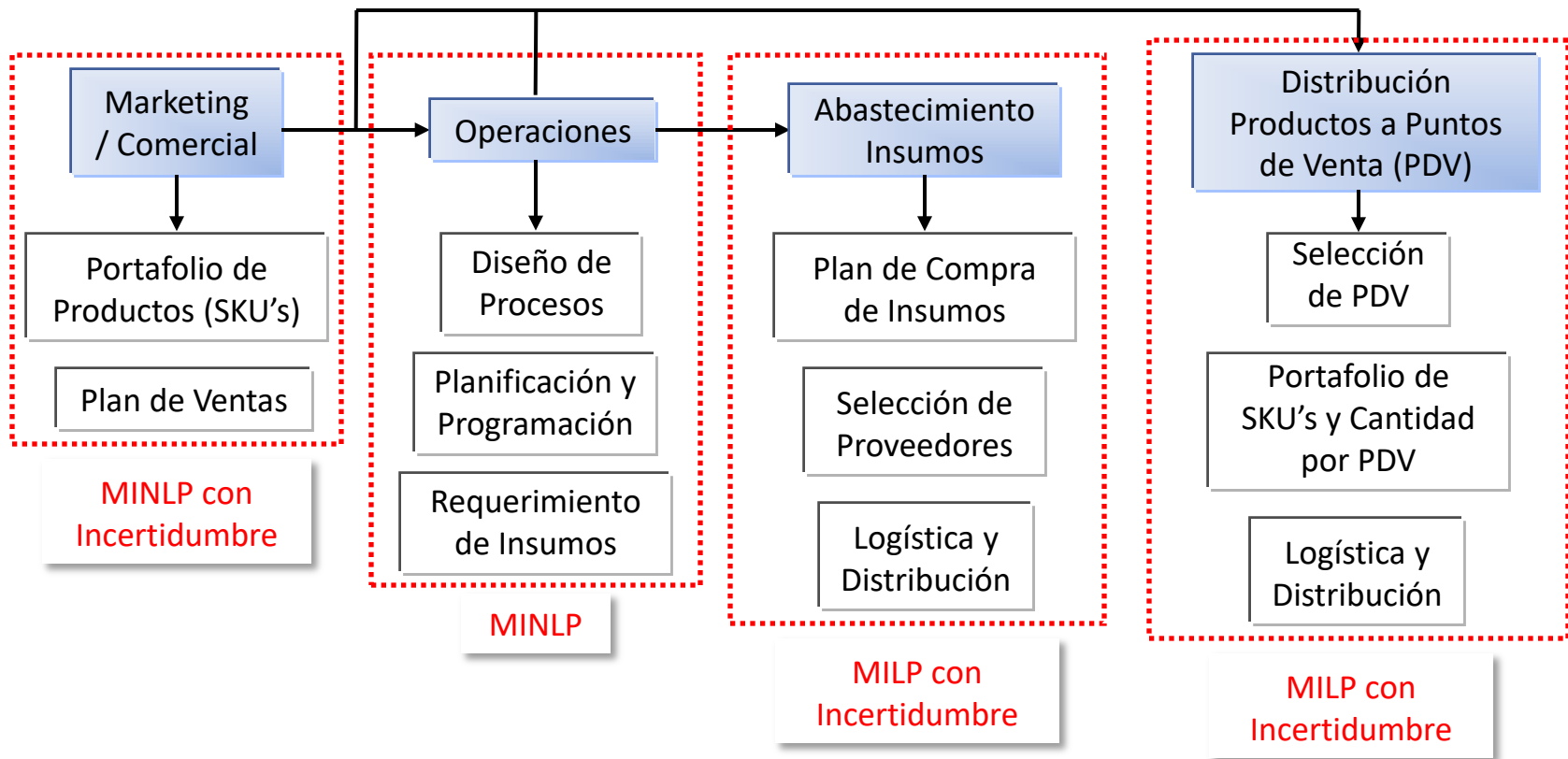


# Ejemplos de Aplicación



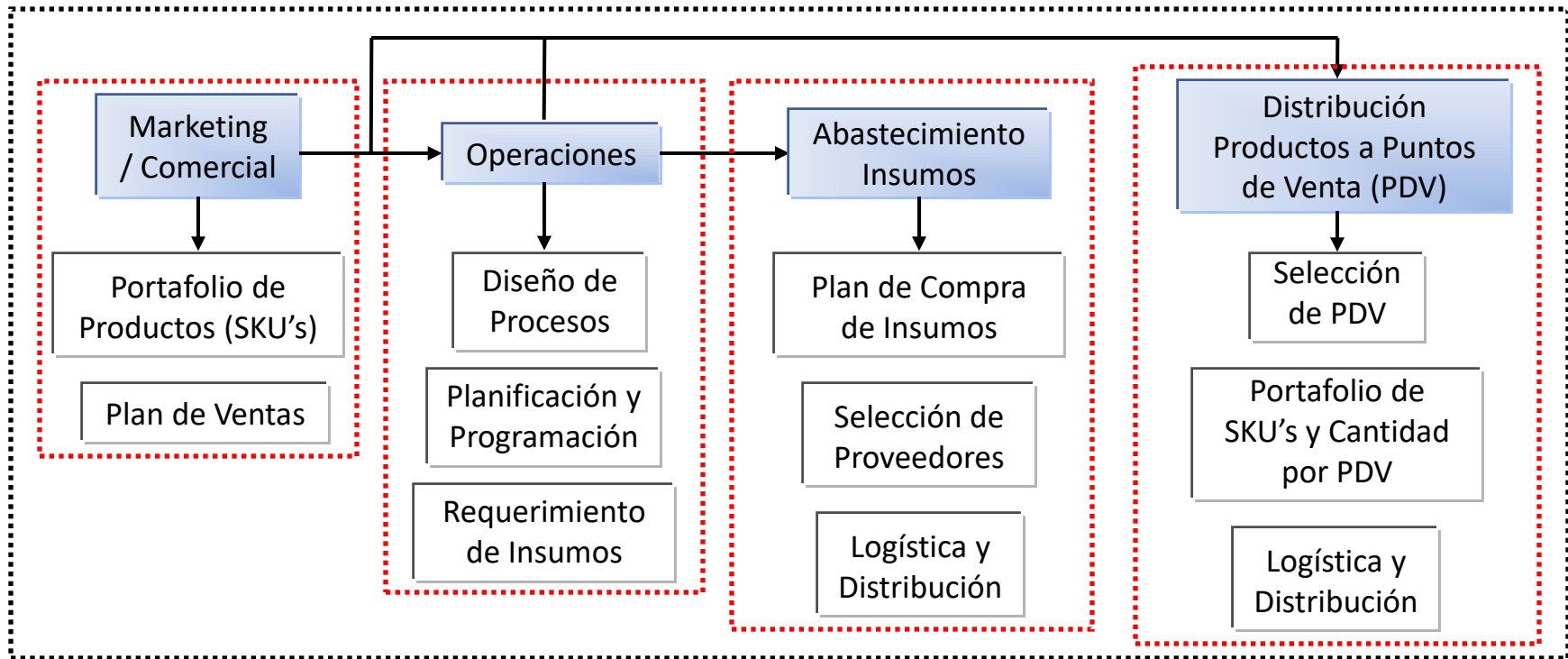
# Empresas

## Estructura Secuencial en la Toma de Decisiones



# Empresas

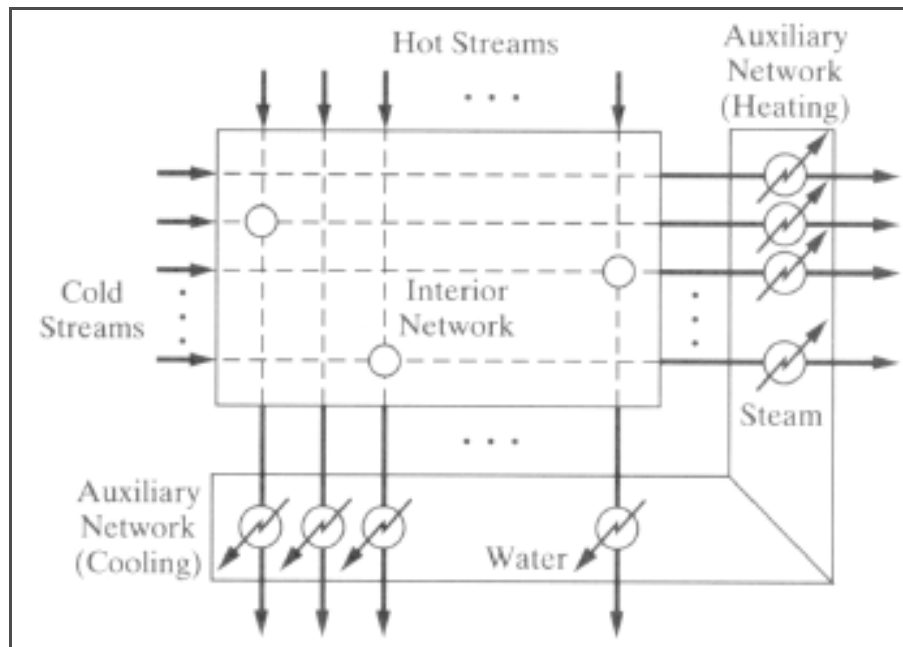
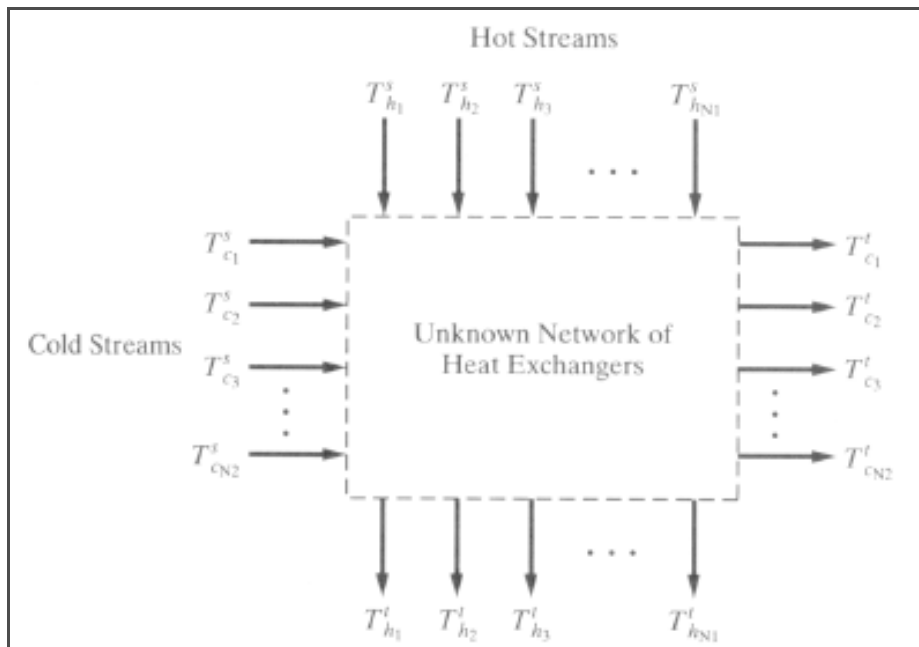
## Estructura Integrada en la Toma de Decisiones



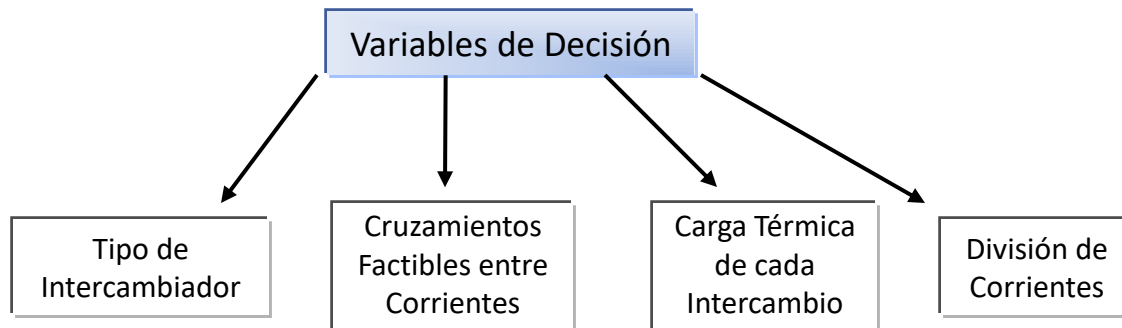
MINLP con Incertidumbre

Supply Chain Optimization (SCO)  
 Enterprise Wide Optimization (EWO)  
 Business Intelligence  
 Business Strategic Decision Support

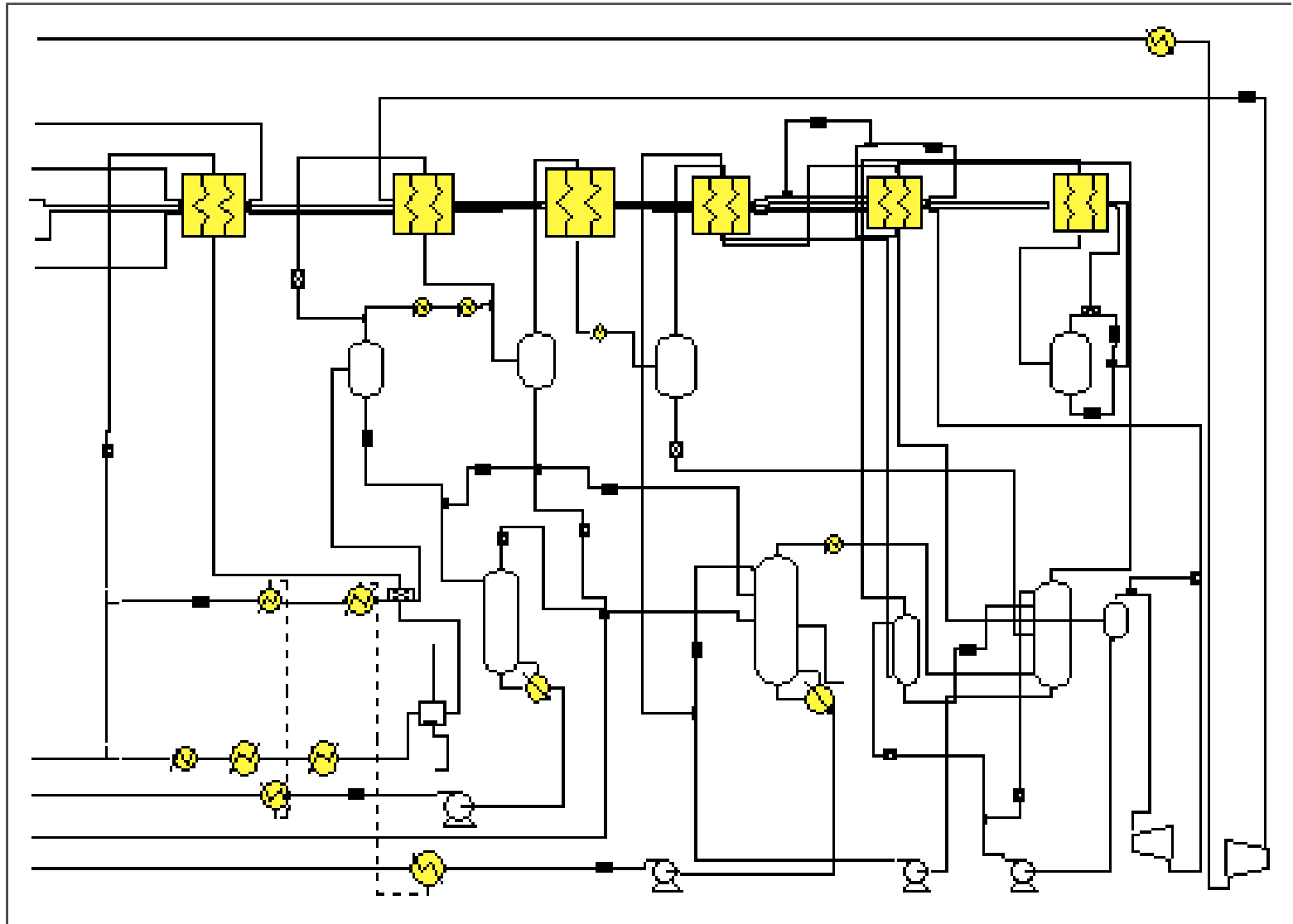
# Energía



MINLP



# Integración Energética



# Integración Energética



1142608615

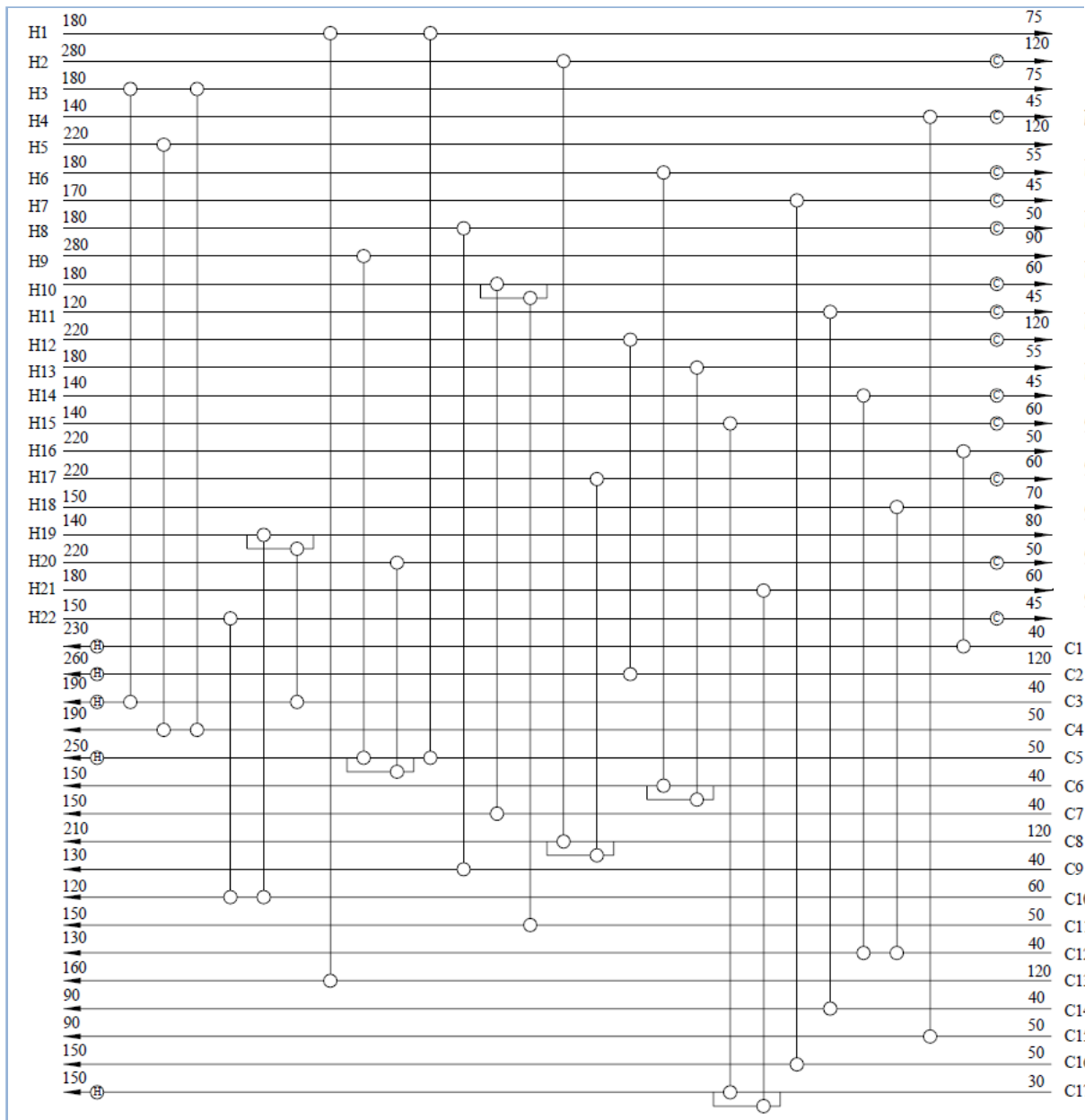
<https://media.istockphoto.com/>

# Integración Energética



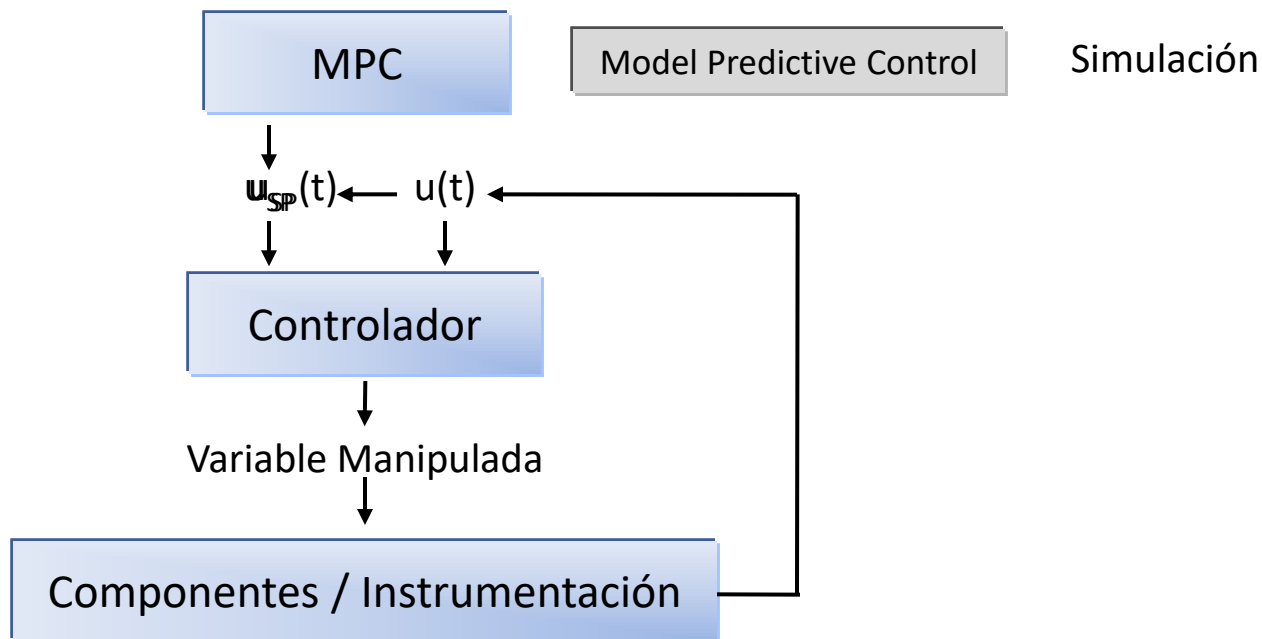
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# Integración Energética



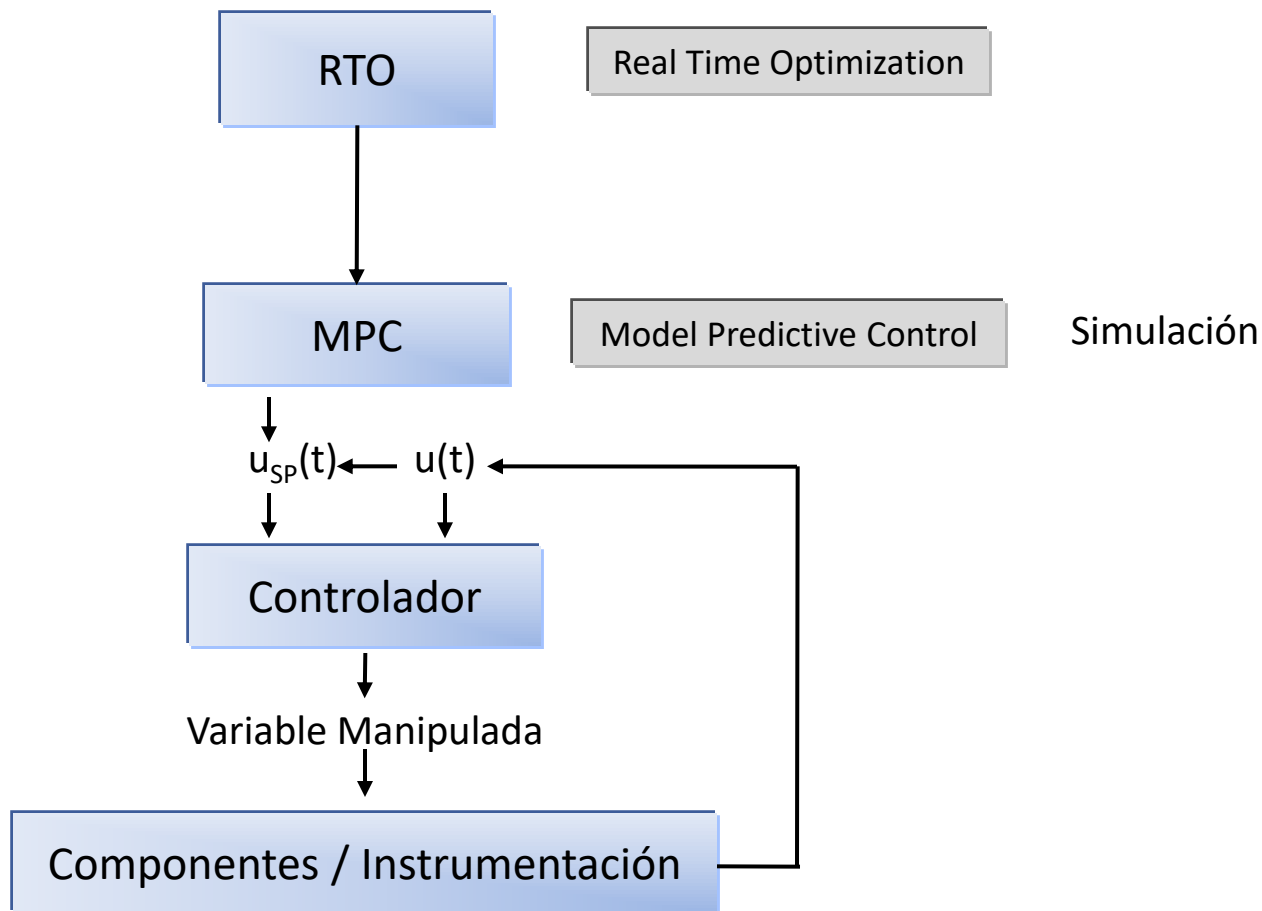
**Heat Exchanger Network (HEN)**

# Control Avanzado





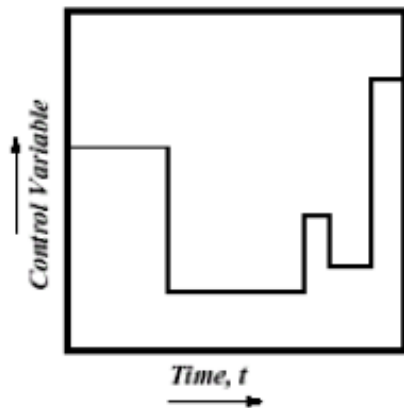
# Control Óptimo



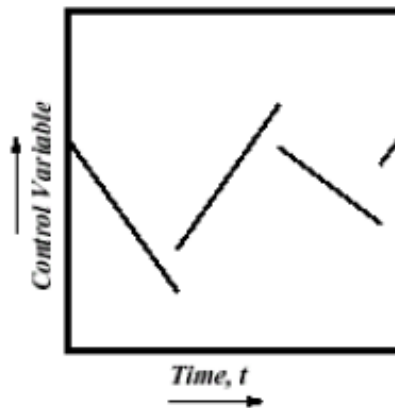
# Optimización Dinámica

Aproximación

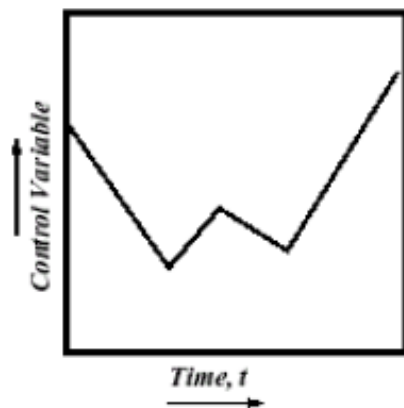
NLP Aumentado



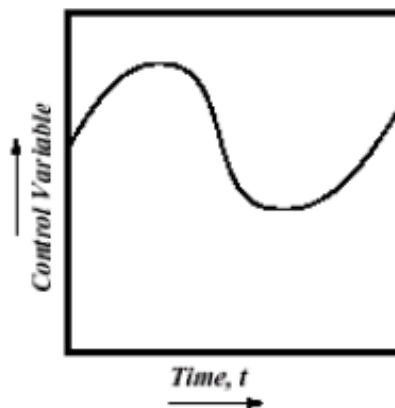
(a) Piecewise constant controls



(b) Piecewise linear controls

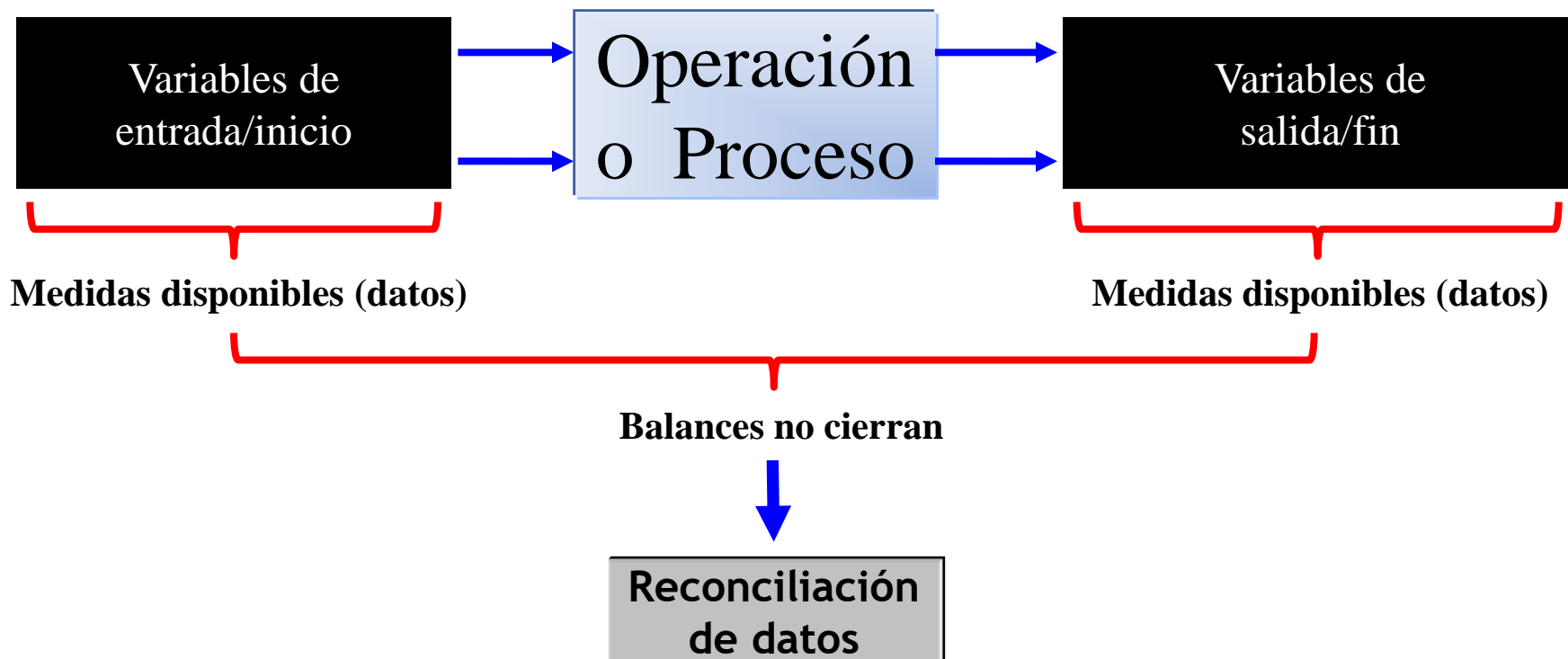


(c) Piecewise linear continuous controls

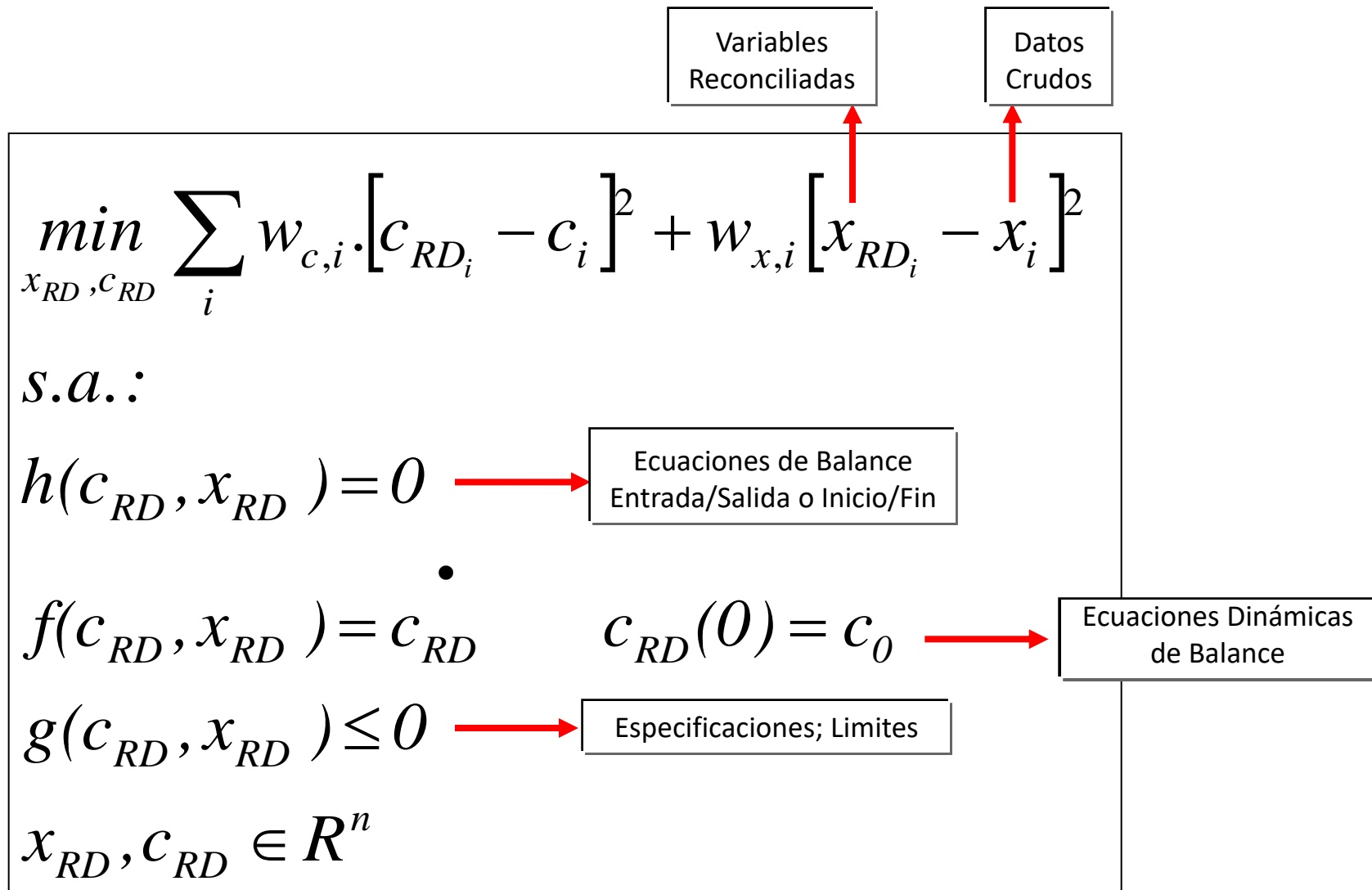


(d) Polynomial controls

$u(t)$

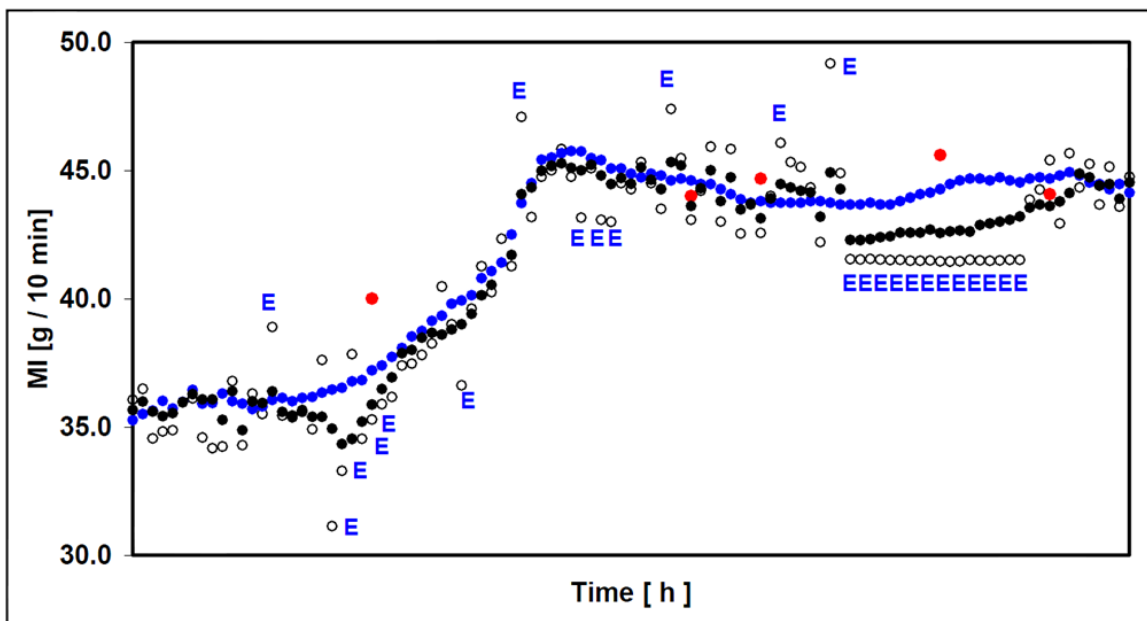
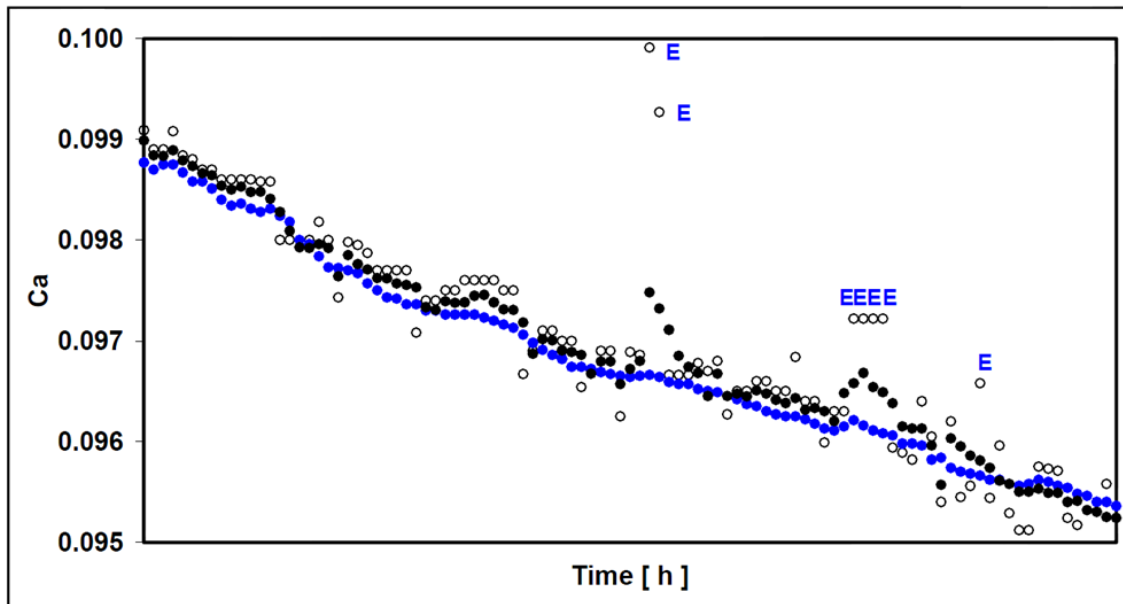


# Formulación Problema RD

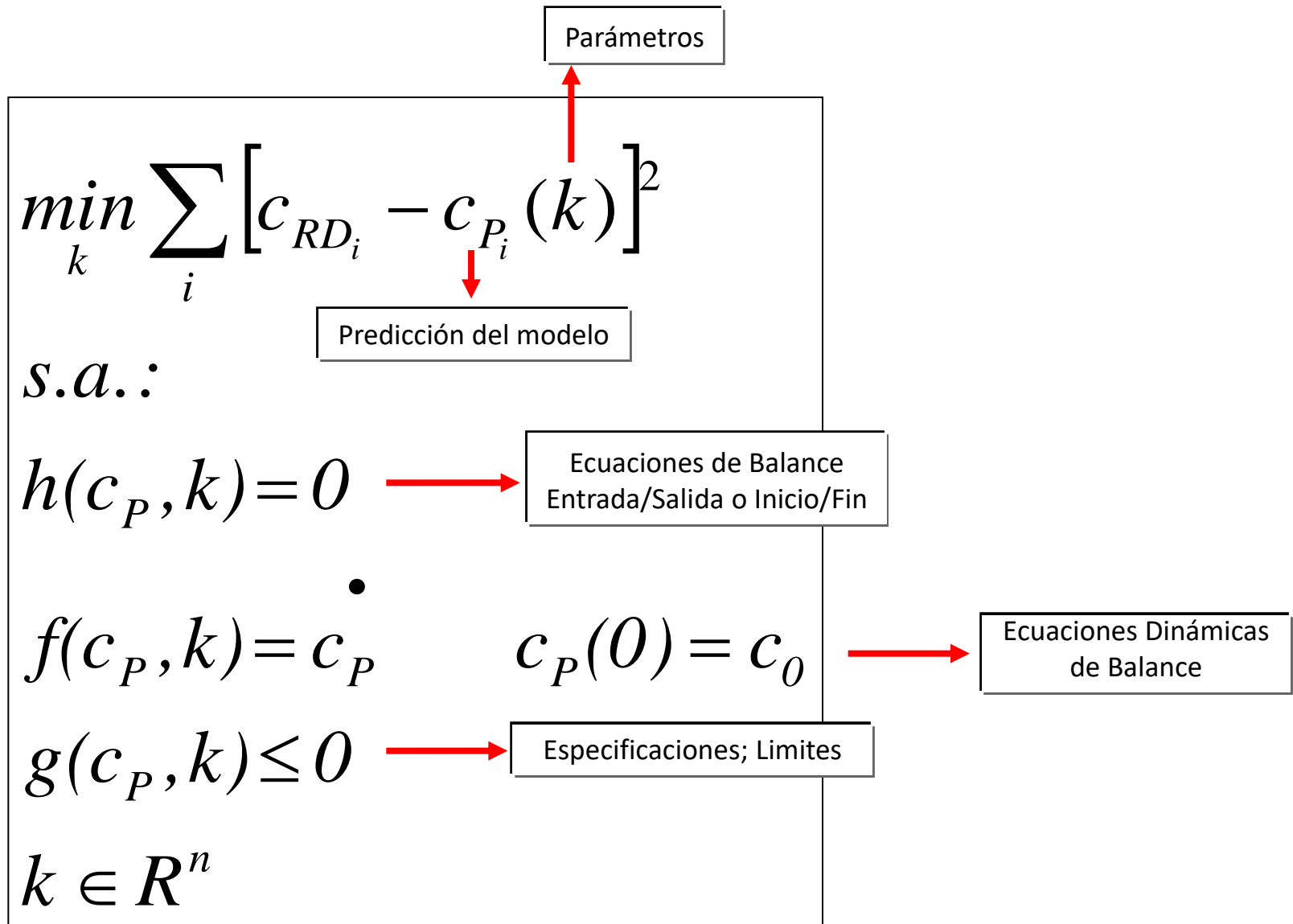


# Ejemplo RD

- Crudo (PLC)
- RD 1
- RD 2
- Crudo (ERP)
- E GED



# Estimación de Parámetros



# Ejemplo Introdutorio 1

# Planteo

$$\min_{Q_{1,R}, Q_{2,R}, Q_{3,R}} \sum_{i=1}^3 [Q_{i,R} - Q_{i,M}]^2$$

*s.a.:*

$$Q_{1,R} + Q_{2,R} = Q_{3,R} \longrightarrow \text{Balance de masa}$$

$$Q_{i,R} \geq 0 \quad \forall i$$

$$Q_{i,R} \in R \quad \forall i$$

**QP**  
(Quadratic programming)  
**Convexo**  
(Óptimo local = óptimo global)



# Ejemplo Introdutorio 2

# Planteo

$$\min_{C_{i,j,R}} \sum_i \sum_j [C_{i,j,R} - C_{i,j,M}]^2 \cdot I_j$$

s.a.: **Reconciliado** **Crudo**

$$(C_{A,j,R} + C_{R,j,R} + C_{S,j,R} - C_{A0}) \cdot I_j = 0 \quad \forall j \longrightarrow \text{Balance de masa}$$

$$(C_{A,j,R} - C_{A,(j-1),R}) \cdot I_j \cdot I_{j-1} \leq 0 \quad \forall j \longrightarrow \text{Perfil } C_A \text{ decreciente}$$

$$(C_{S,(j-1),R} - C_{S,j,R}) \cdot I_j \cdot I_{j-1} \leq 0 \quad \forall j \longrightarrow \text{Perfil } C_S \text{ creciente}$$

$$C_{i,j,R} \geq 0 \quad \forall i, j$$

$$C_{i,j,R} \in R \quad \forall i, j$$

$$I_j = \begin{cases} 1 & \text{si } |C_{i,j,R} - C_{i,j,M}| \leq \text{Desviación admisible} \quad \forall i \\ 0 & \text{si } |C_{i,j,R} - C_{i,j,M}| > \text{Desviación admisible} \quad \forall i \end{cases} \left. \vphantom{I_j} \right\} \text{GED (Gross Error Detection)}$$

j: instantes de tiempo

i: especies

**QP**  
(Quadratic programming)

**Convexo**  
(Óptimo local = óptimo global)