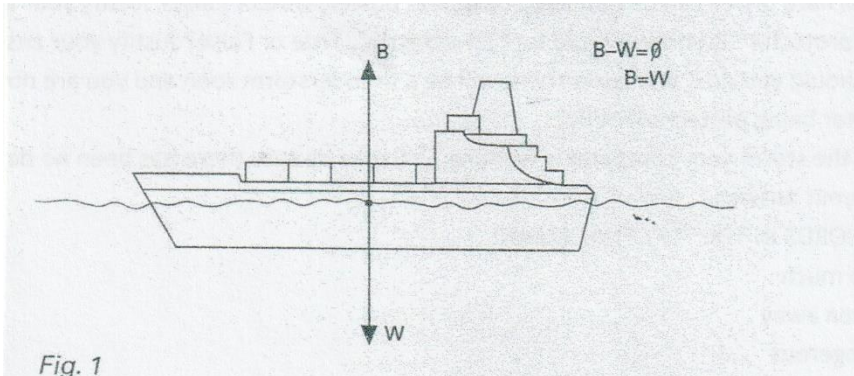


## FORCES IN ENGINEERING (1)

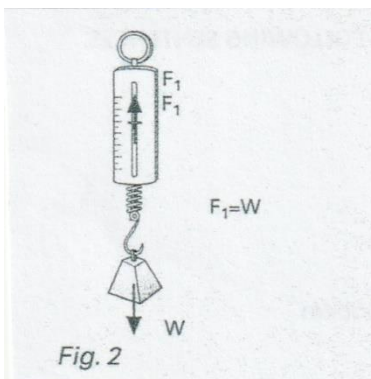
A) Look at the picture in Fig.1. Why doesn't the ship sink?



To answer this problem we must look at the **forces** on the ship (Fig.1). The **weight**,  $W$ , acts downwards: **that (a)** is the **gravity** force. The **buoyancy**,  $B$ , acts upwards. Since the ship is in **equilibrium**, the **resultant force** is zero, so the **magnitudes** of  $B$  and  $W$  must be the same.

B) Another important force in engineering is the **one (b)** caused by **elasticity**. A good example of **this (c)** is a spring. Springs exert more force the more **they (d)** are stretched. This property provides a way of measuring force. A spring balance can be calibrated in **newtons**, the unit of force.

What makes the spring stretch and what keeps the weight up?



The block in Fig. 2 has a weight of 10 newtons. The weight on the balance pulls the spring down. To give equilibrium, the spring pulls up to oppose **that weight (e)**. This upward force,  $F_1$ , equals the weight of the block,  $W$ .

C) It is important to get the distinction between **mass** and **weight** absolutely clear. Mass is the quantity of **matter** in an object. Weight is the force on that object due to gravity. Mass is measured in **kilograms**, whereas weight, being a force, is measured in **newtons**.

We have looked at **buoyancy**, **elasticity** and **gravity**. There is a fourth force important in engineering, and **that (f)** is **friction**. Friction is a help in some circumstances but a hindrance in others. Let us examine the forces on the box (Fig. 3).

### Why doesn't the box slide down the slope?

Firstly, there is **its (g)** weight,  $W$ , the gravity force, then there is the reaction,  $R$ , normal to the plane.  $R$  and  $W$  have a resultant force trying to pull the box down the slope. It is the friction force,  $F$ , acting up the slope, that stops **it (h)** sliding down.

